

## Homework #2

**Due Monday, Feb 14, 2023, 11:59pm**

### ***Problem 2.1.***

- a) Read in the 2 column data from the file 'bfit.csv' into an np.array()
- b) Print a list of the matrix, and plot the points as dots in magenta color.  
The x-axis is the first column, the y-axis is the second column.
- c) Calculate the bounding box, and plot a red rectangle around it
- d) Draw the diagonal from (xmin,ymin)-(xmax,ymax) in blue
- e) Overplot the points below the diagonal in green
- f) Calculate the center of mass of the points in the two halves separated by the diagonal. Plot these values shown with an asterisk on the same figure.

### ***Problem 2.2.***

- a) Create a uniform array x with 101 elements between 0 and  $2\pi$
- b) Create an array containing  $y = \sin(3x)$
- c) Create a plot y vs x
- d) Create another array,  $z = y^2$
- e) Plot z vs x
- f) Calculate the average of both y and z over this interval
- g) How do the results of (f) change if we use 10000 points?

### ***Problem 2.3.***

- a) Create a 21x21 grid of x and y values over a square  $[-1,1] \times [-1,1]$
- b) Write a function that is a Gaussian,

$$f_{\text{gauss}}(x, y, s) = \frac{1}{\sqrt{2\pi s^2}} \exp\left(-\frac{x^2 + y^2}{2s^2}\right)$$

- c) Create a contour plot of z as a function of x,y for the values of  $s=1,2,3$

### ***Problem 2.4.***

Consider the data in the files a100.csv, b100.csv, c100.csv and d100.csv.

- a. Determine the underlying probability distributions (and its parameters) of each data set, by creating a histogram and over-plotting with the most similar probability distribution, until the agreement is acceptable. Create a label with the name of the distribution, and its parameter values on the plot. Do not use a fitting function but determine the parameters by changing them manually until there is a good visual match. The goal of this exercise is to develop an intuition on how the shapes of the different distributions change as a function of the parameters.

b. Create a new series from each data set through the formula

$$y_p = \sum_{i=0}^{K-1} x_{p+i}$$

i.e. each new number is the sum of  $K$  adjacent elements of the original series (so called moving average). Determine the probability distribution and its parameter for each sequence for  $K=5, 20$  and  $80$ . Calculate the mean and variance of the original distributions and compare to the derived (summed) series.